

Membership Inference Against DNA Methylation Databases: Attacks and Defenses

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The Question

Are membership inference attacks possible given only mean μ and standard deviation σ ?

$x^v \in D$? $x^v \in D'$?

$x^v \in D \rightarrow x^v$ has cancer

The Data

- DNA methylation: additional molecule (methyl group) attached to DNA
- represented as value in [0, 1]
- methylation patterns vary between tissues, due to environmental factors and due to diseases

Abbreviation	Description	Tissue Type	Number of Patients	GSE identifier
GBM	glioblastoma	brain cancer	136	GSE36278
PA	pilocytic astrocytoma	brain cancer	61	GSE44684
IBD CD	Crohn's disease	blood	77	GSE87640
IBD UC	ulcerative colitis	blood	79	GSE87640
BC	breast cancer	breast cancer	892	..
WGBS	genome and methylation data	blood	75	not publicly available

Statistics-based Attack

→ two statistical tests:

mean only:

$$L_1(x^j) = |x^j - \mu_r^j| - |x^j - \mu_c^j|$$

$$L_1(x) = \text{ttest}_{j \in \{0, \dots, n\}} L_1(x^j)$$

combination of all methylation values with student's t-test

mean and standard deviation:

$$LLR(x) = \sum_{j=1}^n \frac{(x^j - \mu_r^j)^2 - (x^j - \mu_c^j)^2}{2(\sigma^j)^2}$$

ML-based Attack

→ learn which distance magnitude is informative

distance features: $|x^j - \mu_c^j|$ $(x^j - \mu_c^j)^2$

scaled versions: $\frac{|x^j - \mu_c^j|}{\sigma^j}$ $\frac{(x^j - \mu_c^j)^2}{(\sigma^j)^2}$

test-inspired features: $|x^j - \mu_c^j| - |x^j - \mu_r^j|$ $\frac{(x^j - \mu_c^j)^2 - (x^j - \mu_r^j)^2}{2(\sigma^j)^2}$

Genome-based Attack

→ exploit correlation between genome and methylation:

$$f_g(x^j) = p(X_j = x^j | G = g)$$

$$= \frac{1}{\sqrt{2\pi}\sigma_{j,g}} \exp\left(-\frac{(x^j - \mu_{j,g})^2}{2(\sigma_{j,g})^2}\right)$$

probability of methylation value modeled by Gaussian

same LLR test on all related positions: $LLR(g) = \sum_{j=1}^{m_c} \frac{(\mu_{j,g} - \mu_r^j)^2 - (\mu_{j,g} - \mu_c^j)^2}{2(\sigma^j)^2}$

expected methylation value given the genome

Defense with Differential Privacy

D: methylation values of 60 patients

D': one patient different

difference informative

mean of D: 0.305

mean of D': 0.296

→ output a random mean that hides the contribution of the changed entry

formally: $\Pr[M(\text{mean}(D)) = \mu] \leq e^\epsilon \Pr[M(\text{mean}(D')) = \mu]$

where $M(\text{mean}(D)) = \text{mean}(D) + \text{Lap}\left(\frac{m}{\epsilon}\right)$

number of positions here: 300.000

number of patients here: 60

privacy parameter